

1.4a Taking out $2(n + 1)$, you are left with the sum from 2 to $2n$.

1.4b This is $\sum_{k=1}^n 3n - 2$, so use the same hint as in 1.4a.

1.4c Taking out $2 \times 3^{n+1}$ leaves you with the sum to n .

1.4d Use the property that $\binom{n+1}{k} = \binom{n}{k} + \binom{n}{k-1}$.

1.4e Use the property mentioned in 1.4d and split the result into three sums, at which point you can use the property that $\sum_{k=0}^n \binom{n}{k} = 2^n$.

1.4f This one is essentially identical to the one without the $(-1)^k$ in front.

1.4g Expand the formula for $n + 1$ to get the formula for n plus a component divisible by 2.

1.4h The formulas are equal when $n = 0$, and after that the differences grow.

1.4i Take out the $(n + 1)^2$ factor to be left with a similar sum to n .

1.4j Similar to 1.4i.

1.4k They are equal for $n = 1$ and after that, one difference grows slower than the other.

1.4l Similar to 1.4g.

1.4m Use $\left| \sum_{k=1}^{n+1} x_k \right| = \left| x_{k+1} + \sum_{k=1}^n x_k \right|$.

1.4n Similar to 1.4i.

1.4o Similar to 1.4g.

The remaining questions are left to the reader.